



Welcome! About Socrative student response system

Dear students

I look forward meeting you next Tuesday on the lecture on load introductions

We will be using the Socrative student response system for some small quizzes

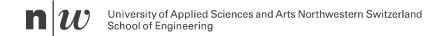
To participate use the following link on your laptop or smartphone

https://b.socrative.com/login/student/

As Room Name use brauner

(alternatively you may us the socrative student app https://www.socrative.com/apps.html)







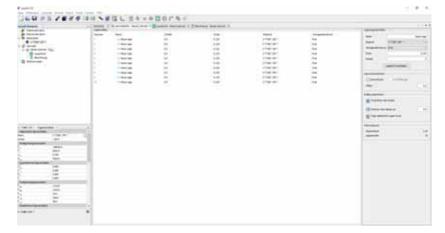
Welcome!

Second please install elamx from:

https://tu-dresden.de/ing/maschinenwesen/ilr/lft/elamx2/elamx

We will use it as a small tool to show the design workflow and to

solve some small examples





Composites Technology Load Introductions in Preliminary Design



Prof. Christian Brauner, Institute of Polymer Engineering



About myself



Mechanical Engineering



Manufacturing and design



Software Engineering



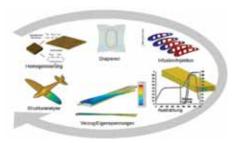




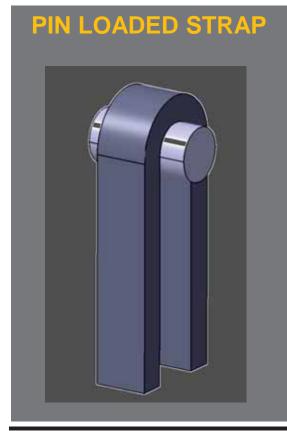
Since 2016 Institute of Polymer Engineering

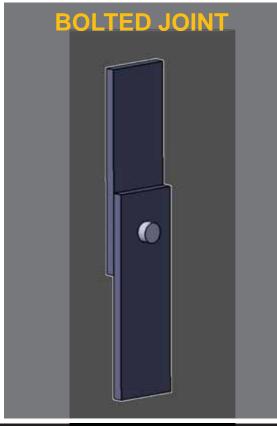


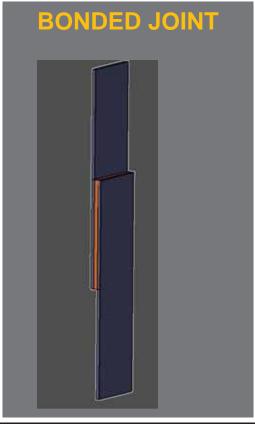








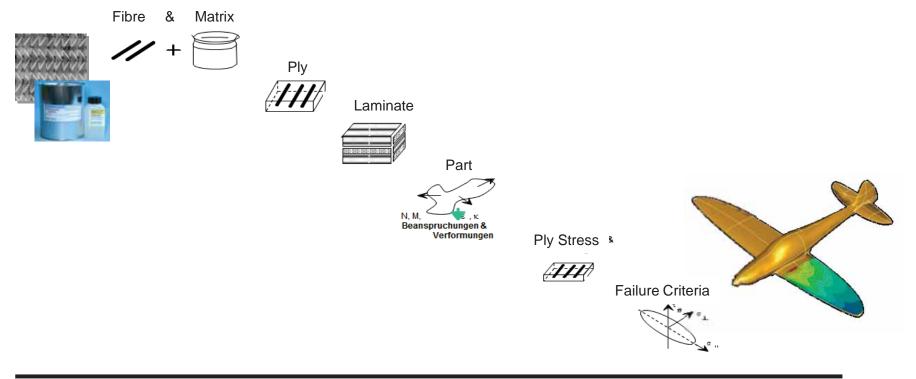




EPFL Composites Technology



General introduction into stress analysis of composite







Active unit: short introduction to elamx:

Please open elamx

Start with database material like T300

Add 10 layers, t=0.125

Add a "Berechnung" to check ABD matrix

Check "Polardiagram"

Check "Ingenieurskonstanten"

Check "Versagenskörper"

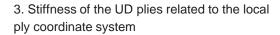


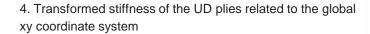


Process of stress analysis in a composite laminate: 12 steps

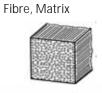
1. Basic material properties





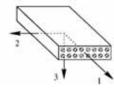




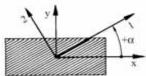


$$E_F$$
, $V_F E_M$, V_M , V_F

$$E_{1}$$
, V_{12} , V_{21} , E_{2} , G_{12}



$$\begin{cases}
\sigma_{1} \\
\sigma_{2} \\
\tau_{12}
\end{cases} =
\begin{bmatrix}
Q_{11} & Q_{12} & 0 \\
Q_{12} & Q_{22} & 0 \\
0 & 0 & Q_{66}
\end{bmatrix}
\begin{bmatrix}
\varepsilon_{1} \\
\varepsilon_{2} \\
\gamma_{12}
\end{bmatrix}$$





$$\begin{split} A_{ij} &= \sum_{k=1}^{n} \overline{Q}_{ij,k} \cdot t_{k} \\ B_{ij} &= \sum_{k=1}^{n} \overline{Q}_{ij,k} \cdot t_{k} \cdot \left(z_{k} - \frac{t_{k}}{2} \right) \end{split}$$

$$D_{ij} = \sum_{k=1}^{n} \overline{Q}_{ij,k} \cdot \left(\frac{t_k^3}{12} + t_k \left(z_k - \frac{t_k}{2}\right)^2\right.$$



University of Applied Sciences and Arts Northwestern Switzerland



Process of stress analysis in a composite laminato: 12 stops

- 6. Assembly of the ABD Matrix,
- 7. Analyse load case and calculate force and moment flux
- 8. If loads known compute the inverse ABD tensor = compliance tensor of the laminate
- 9. Calculate strain and curvature of the laminate and thereby of all UD plies related to the global xy coordinate system
- 10. Transform lamina strain back into ply coordinate system
- 11. Stress in the single UD plies related to the local ply coordinate system
- 12. Use failure criteria to evaluate failure (not shown here)

$$N_{x} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \sigma_{x} dz$$
 ; $N_{y} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \sigma_{y} dz$; $N_{xy} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \tau_{xy} dz$

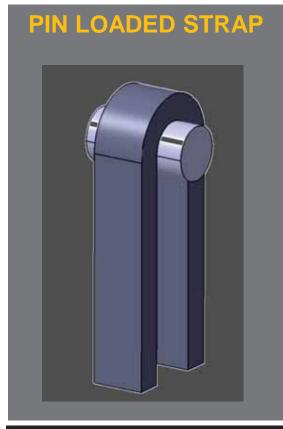
$$M_{x} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \sigma_{x} z dz$$
; $M_{y} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \sigma_{y} z dz$; $M_{xy} = \int_{-\frac{h}{2}}^{\frac{h}{2}} \tau_{xy} z dz$

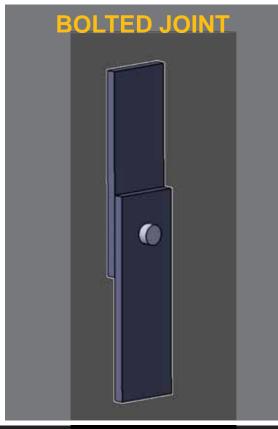
$$\begin{bmatrix} \varepsilon_{x} \\ \varepsilon_{y} \\ \gamma_{xy} \end{bmatrix} = \begin{bmatrix} \varepsilon_{x} \\ \varepsilon_{y} \\ \gamma_{xy} \end{bmatrix} + z_{x} \begin{bmatrix} \kappa_{x} \\ \kappa_{y} \\ \kappa_{xy} \end{bmatrix} \qquad \begin{bmatrix} \varepsilon_{x} \\ \kappa_{y} \\ \kappa_{xy} \end{bmatrix} = \begin{bmatrix} \varepsilon_{x} \\ \kappa_{y} \\ \kappa_{xy} \end{bmatrix}$$

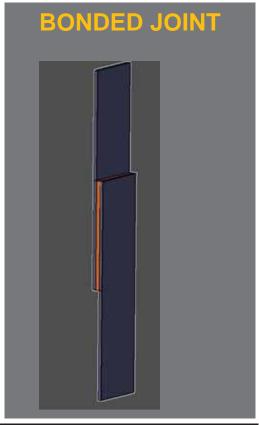
$$\begin{bmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \gamma_{12} \end{bmatrix} = [T]^{\Lambda} T \cdot [\varepsilon_x] = \begin{bmatrix} \cos^2 \psi & \sin^2 \psi & \sin \psi \cos \psi \\ \sin^2 \psi & \cos^2 \psi & -\sin \psi \cos \psi \\ -2\sin \psi \cos \psi & 2\sin \psi \cos \psi & \cos^2 \psi - \sin^2 \psi \end{bmatrix} \cdot \begin{bmatrix} \varepsilon_x \\ \varepsilon_y \\ \gamma_{xy} \end{bmatrix}$$

$$\begin{cases} \sigma_1 \\ \sigma_2 \\ \tau_{12} \end{cases} = \begin{bmatrix} Q_{11} & Q_{12} & 0 \\ Q_{12} & Q_{22} & 0 \\ 0 & 0 & Q_{66} \end{bmatrix} \begin{cases} \varepsilon_1 \\ \varepsilon_2 \\ \gamma_{12} \end{cases}$$









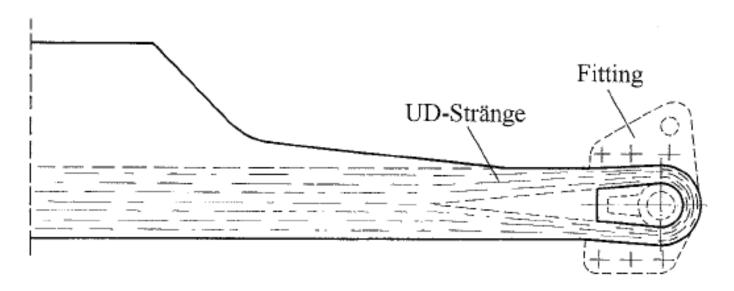


Objective – to understand

- Concept
- Manufacturing challenges
- Sizing
- Design integration



Pin loaded strap

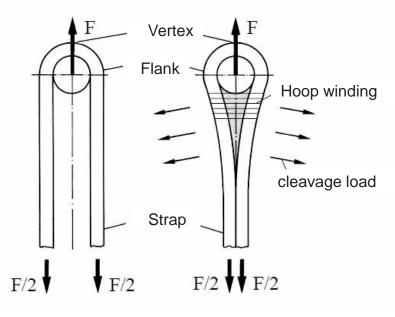




A composite pin loaded strap in a nutshell

- Uses unidirectional carbon fibres in a polymer matrix
- Fibres are aligned along the load path

	Unidirectional CFRP	Steel
Strength [MPa]	2000	600
Density [kg/m3]	1560	7850
Spec. strength [kNm/kg]	1282	76



CFRP holdings bars

- Lightweight: easy to assemble
- Lightweight: up to 50% higher lifting loads with longer reach
- non-corrosive

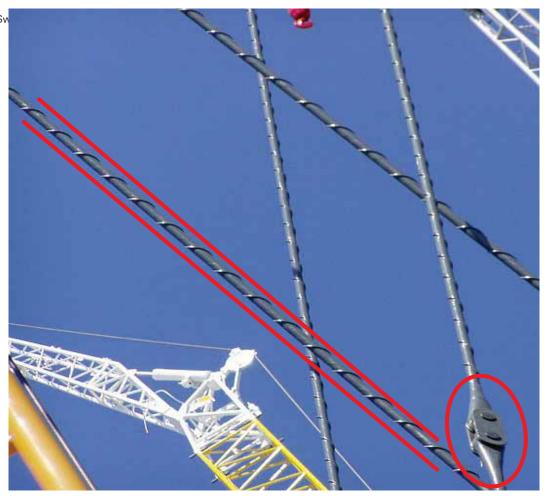




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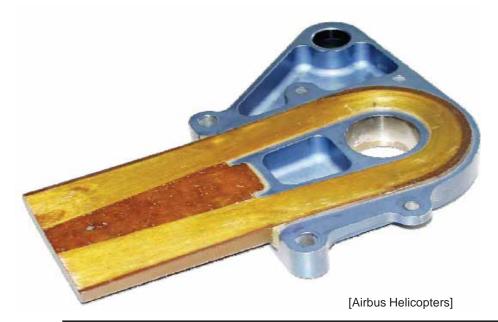
CFRP holding bars

- Connected by pin loaded straps and coupling plates
- Supression of vortex shedding vibration by helical strakes





Applications BO105 Rotorcraft blade attachment









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Applications Composite Connecting Rod

 Axial load transfer by pre-stressed structure

Reduced oscillating mass

Jaguar 4.2L straight six cylinder engine





Bike wheel

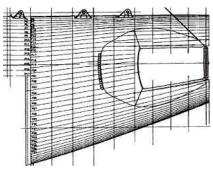


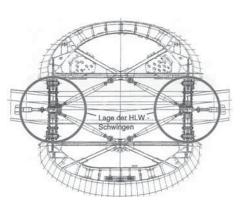
Radiate Engineering



Lightweight - CarbonSports GmbH

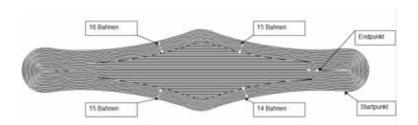




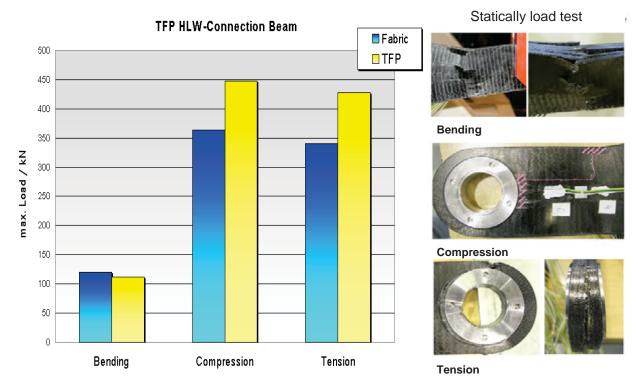








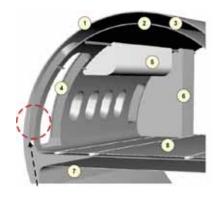




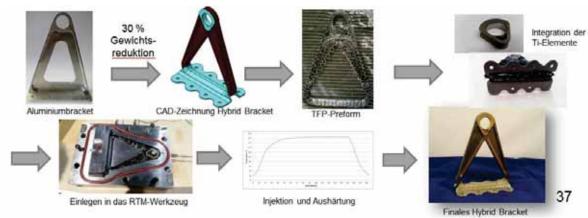














Equilibrium of forces in radial direction

Tangential stresses create radial compression on pin

$$-\sigma_{r}(r \cdot d\phi) + \sigma_{r}(r \cdot d\phi) + \frac{d}{dr}(\sigma_{r} \cdot r \cdot d\phi) \cdot dr - \sigma_{t} \cdot dr \cdot d\phi = 0$$

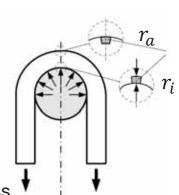
Index r = radial; Index t = tangential

$$\sigma_r(r_i) = -p_i \qquad \qquad \sigma_r(r_a) = 0$$

$$p_i = \frac{F}{2r_i \cdot b}$$

Radial pressure on pin corresponds to bearing stress

Elementdicke t=1



 $\sigma_r \cdot r \cdot d\phi$

 $\sigma_r \cdot r \cdot d\phi + \frac{d}{dr} (\sigma_r \cdot r \cdot d\phi) dr$

 $\sigma_t \cdot dr$

2σ, dr·sin-

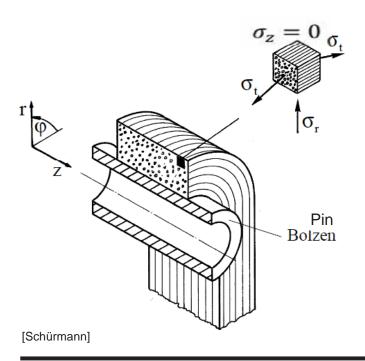
[Schürmann]

σ, dr





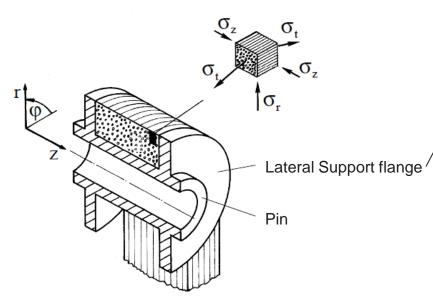
Strains in <u>unsupported</u> pin loaded strap

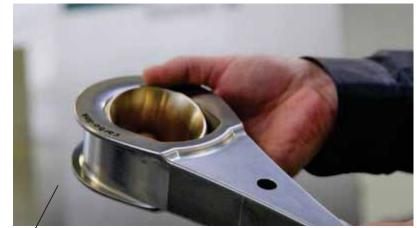


$$\begin{split} \epsilon_{\mathbf{r}} &= \frac{\sigma_{\mathbf{r}}}{E_{\perp}} - \nu_{\perp \parallel} \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} \\ \epsilon_{\mathbf{t}} &= \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} - \nu_{\parallel \perp} \frac{\sigma_{\mathbf{r}}}{E_{\perp}} \\ \epsilon_{\mathbf{z}} &= -\nu_{\perp \perp} \frac{\sigma_{\mathbf{r}}}{E_{\perp}} - \nu_{\perp \parallel} \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} \end{split}$$



Strains in <u>supported</u> pin loaded strap



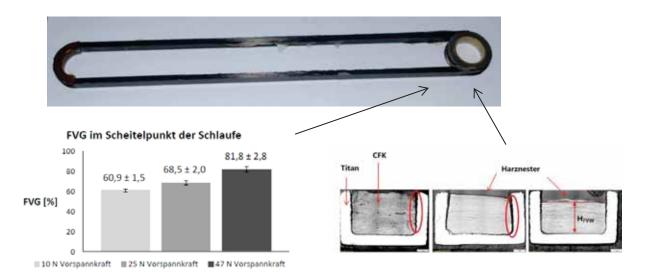


$$\begin{split} \epsilon_{\mathbf{r}} &= \frac{\sigma_{\mathbf{r}}}{E_{\perp}} - \nu_{\perp \parallel} \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} - \nu_{\perp \perp} \frac{\sigma_{\mathbf{z}}}{E_{\perp}} \\ \epsilon_{\mathbf{t}} &= \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} - \nu_{\parallel \perp} \frac{\sigma_{\mathbf{z}}}{E_{\perp}} - \nu_{\parallel \perp} \frac{\sigma_{\mathbf{r}}}{E_{\perp}} \\ 0 &= \frac{\sigma_{\mathbf{z}}}{E_{\perp}} - \nu_{\perp \perp} \frac{\sigma_{\mathbf{r}}}{E_{\perp}} - \nu_{\perp \parallel} \frac{\sigma_{\mathbf{t}}}{E_{\parallel}} \end{split}$$





Strap example



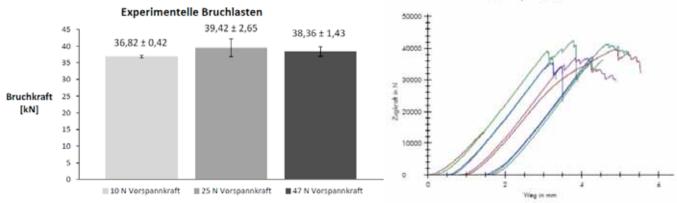
Fibre volume content variation based on different pre load configurations



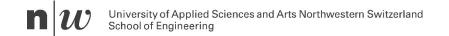


Strap example





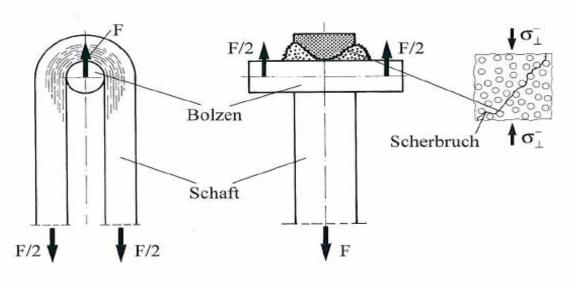
Failure load variation based on different pre load configurations





Failure of pin loaded straps

Failure dominated by radial stresses (and shear stresses – not part of analytical solution)

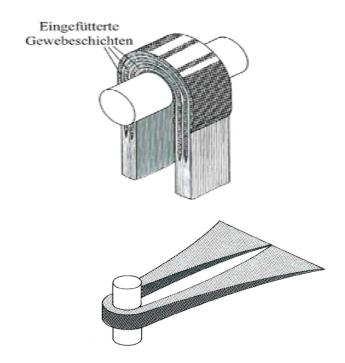


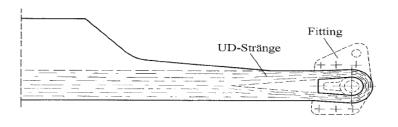
Puck mode C

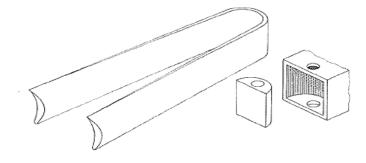




Design integration





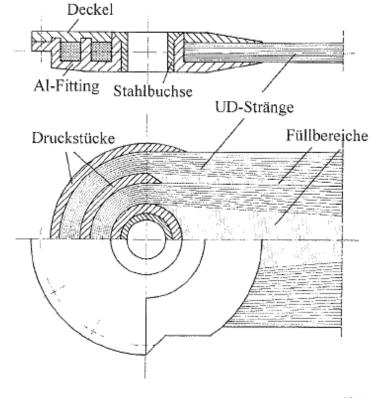






Design variations

- Reduces r_a/r_i by subdivision
- Also transmits compression
- Suitable for wing root attachments







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As Room Name use brauner

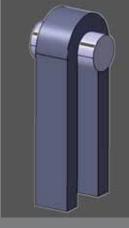
Questions on pin loaded strap

What is the primary failure mode of a pin loaded strap?

- a. Coaxial bifurcation
- b. Bearing failure due to radial compressive stresses
- c. Fiber tensile failure

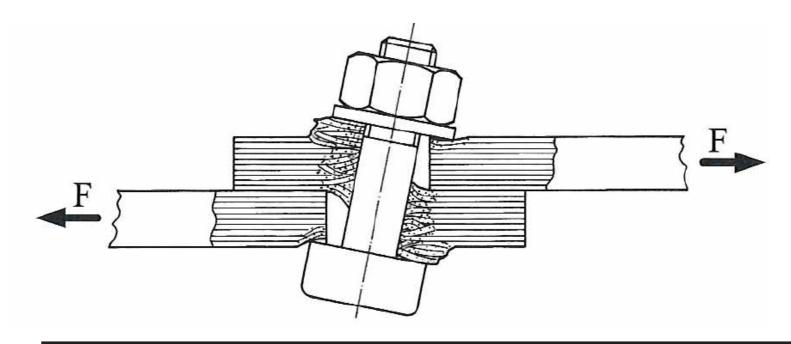
In a unsupported pin loaded strap

- a. Stresses in bolt axis \neq 0
- b. Stresses in bolt axis = 0
- c. Failure load is higher than in a supported configuration





Bolted joints





Bolted joints in aviation







Why bolted joint

• Strap: localised <u>oriented</u> loads.

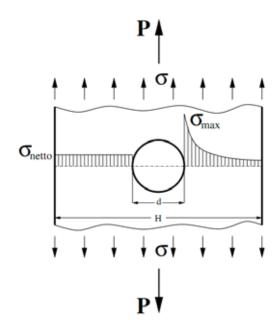
• Bolts: high distributed loads.

• Bonded joints: low distrisbuted loads.





Principles of stress distribution around holes in composites

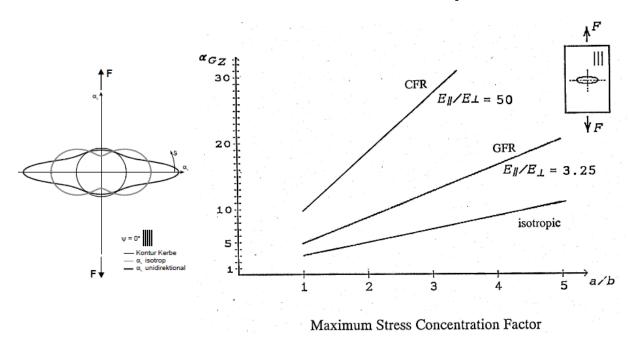


Difference from isotropic materials to composites?



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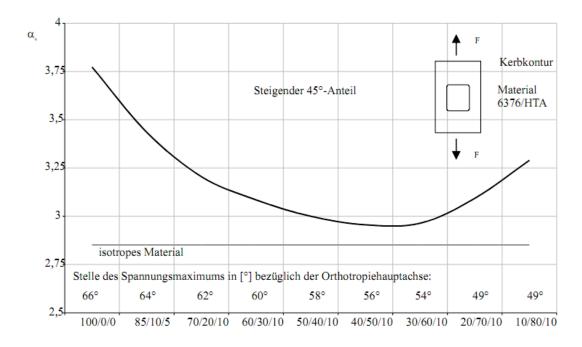
Principles of stress distribution around holes in composites





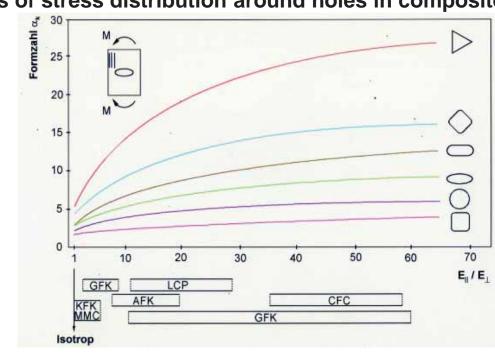


Principles of stress distribution around holes in composites





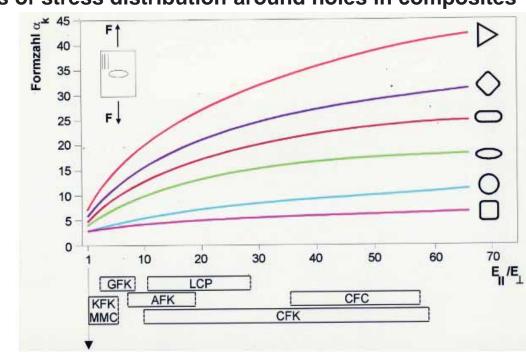




Bending moment - Fibre direction (0°)

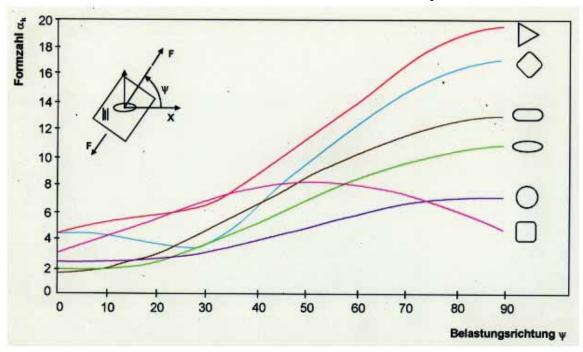






Tensile Force - Fibre direction (0°)

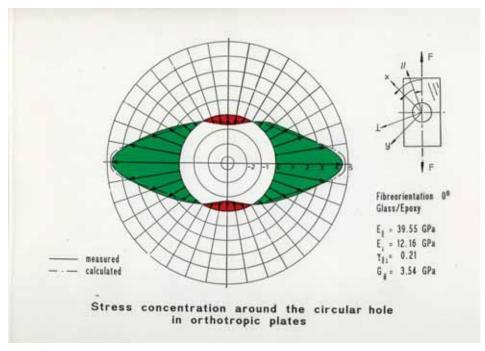




Tensile Force with different directions







Glas/Epoxy - Load direction(0°)

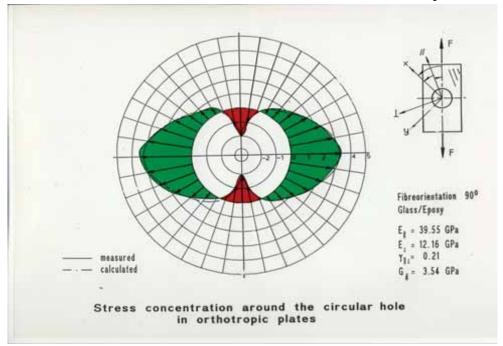
41





42

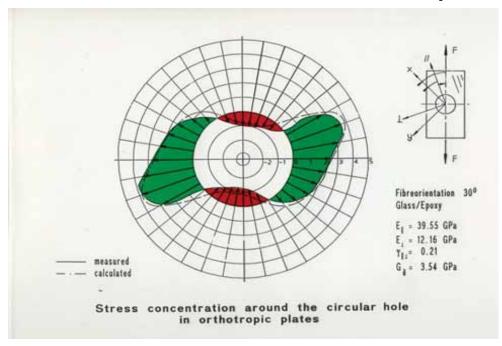
Principles of stress distribution around holes in composites



Glas/Epoxy - Load direction(30°)







Glas/Epoxy - Load direction(30°)





Active unit stress around a holes:

Please open elamx

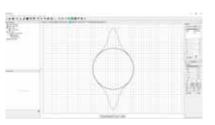
Start with database material like T300

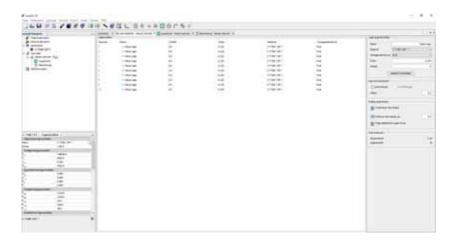
Add 10 layers, t=0.125

Analyse stress around a hole, d=8

Define a load case and post your solution in

the chat









Advantages of bolted joints

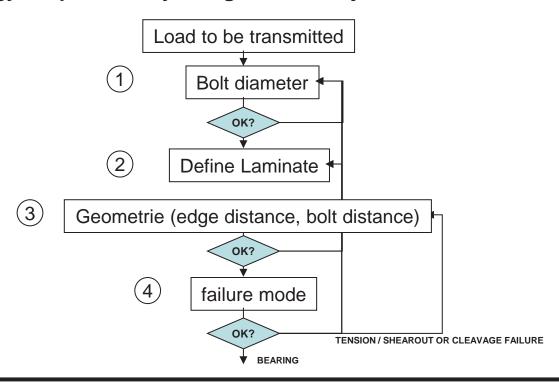
- Joining of dissimilar materials.
- Reversible joints.
- Simple quality survey (vs. bond)
- High energy absorption possible (if designed accordingly)





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Methodology for preliminary design of bolted joint





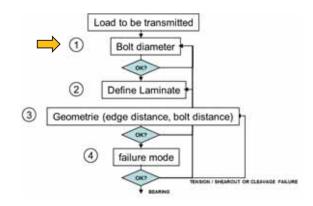


1 Definition of bolt diameter

• Shearing of bolt

$$F_{ult} = R_s \cdot \frac{d^2 \cdot \pi}{4} \cdot i$$

 Usually not critical as metals have higher strength than composites

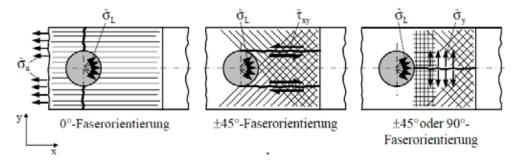


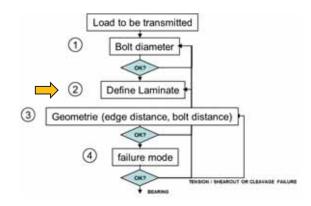


2 Definition of laminate

Ideal laminate in respect o load direction 0°

- 50% in 0°
- 40% in ±45°
- 10% in 90°





If base laminate does not fullfill this additional layer have to be interstacked





3 Design rules (0/ \pm 45/90) (0/ \pm 45/90)

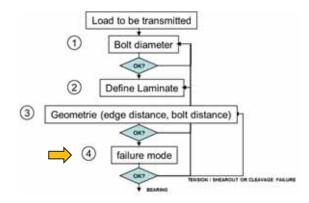




4 Failure modes (Schü 22.2.3 bis 22.2.7)

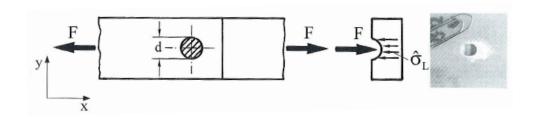
- Bearing failure: tolerant failure by opening of hole
- Tension failure: catastrophic failure mode
- shearout failure: catastrophic failure mode
- Cleavage failure: catastrophic failure mode
- Cleavage tension failure: catastrophic failure mode

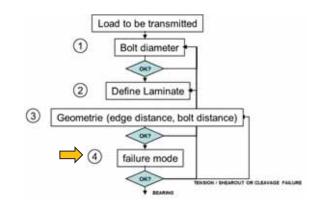
The objective is to have bearing as the dominant failure mode. All other failure modes have to be excluded.

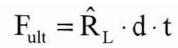


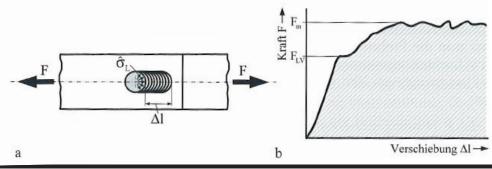


4 Bearing failure





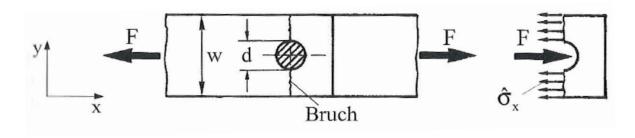


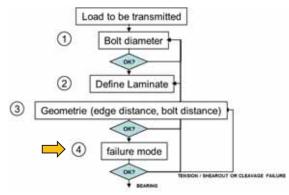






4 Tension failure

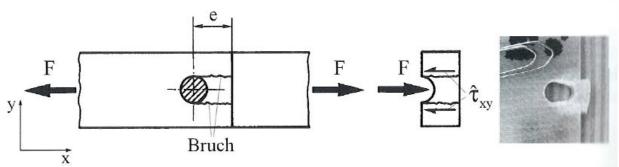


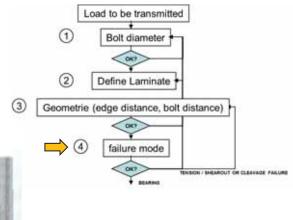


$$F_{ult} = \hat{R}_{x}^{+} \cdot (w - d) \cdot t$$



4 Shearout failure



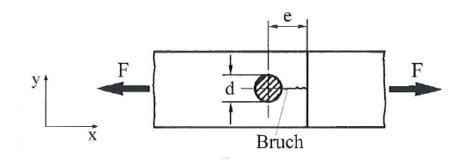


$$F_{ult} = \hat{R}_{xy} \cdot 2e \cdot t$$

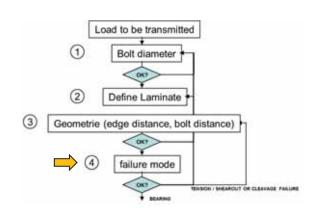




4 Cleavage Failure





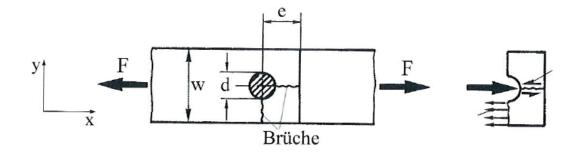


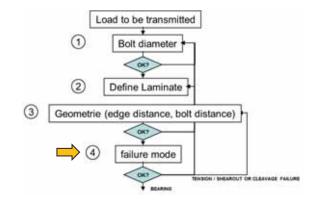
$$F_{ult} = \hat{R}_{y}^{+} \cdot (e - \frac{d}{2}) \cdot t$$





4 Cleavage tension failure



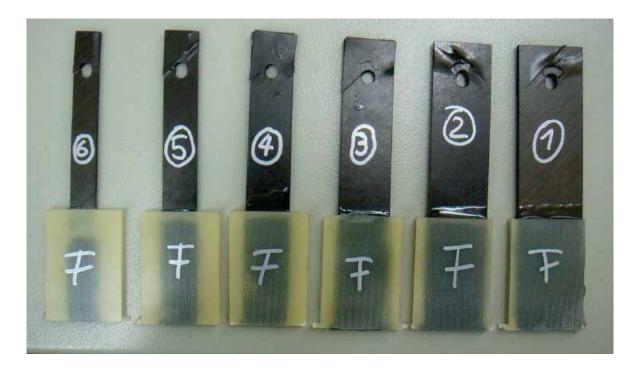


$$F_{ult} = \hat{R}_{x}^{+} \cdot \frac{1}{2} (w - d) \cdot t + \hat{R}_{xy} \cdot (e - \frac{d}{2}) \cdot t$$

Test series cleavage vs. bearing

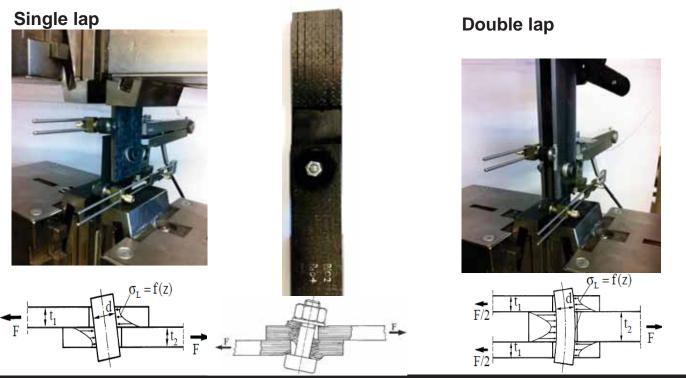


Test series tensile vs. bearing



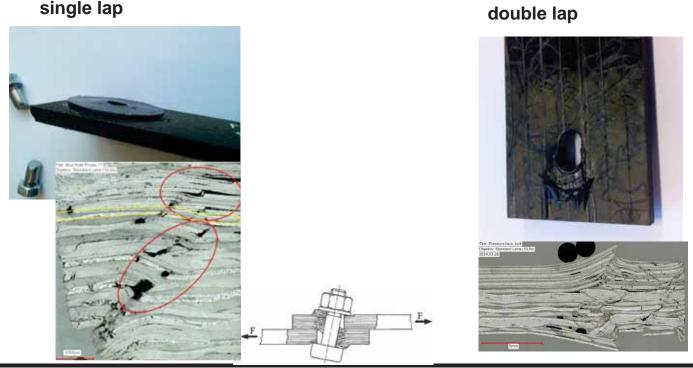


Determination of load bearing strength: ASTM Standard D 5961M – 08

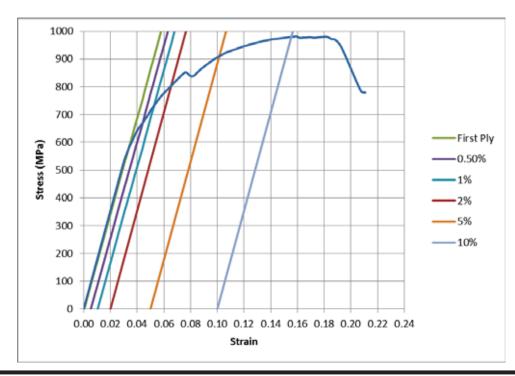




Determination of load bearing strength: ASTM Standard D 5961M – 08 single lap



Load displacement curves - relevant design limits



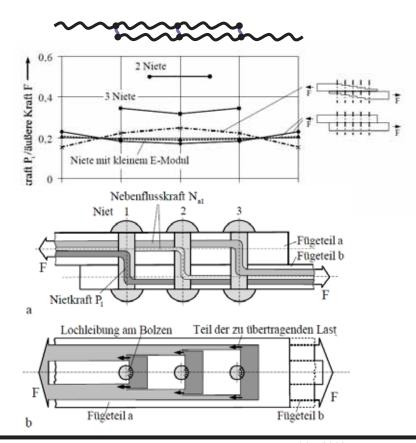
$$\widehat{R}_{l} = \frac{F}{i * d * t}$$

Analysis of bolts

- Two bolts: both bolts equally share load
- N bolts > 2: outer bolt carry more load
- Stepping speciment thickness may inverse this trend
- Bolt loads allow the determination of tensile load N_{aj} on bolt whole

$$F = N_{aj} + \sum_{i=1}^{J} P_i$$

 Bolt hole is loaded in tensile load + bearing load

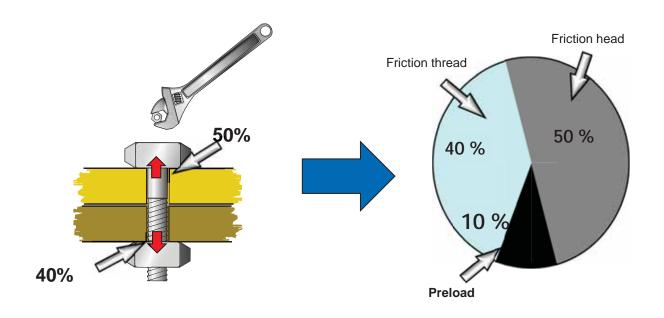






0.7 The joint efficiency challenge 0.6 Ductile metal Metal foil hybridization Joint structure efficiency, P(F_{to}wt) Fibrous composite 0.4 Tension failures 0.3 Brittle material 0.2 0.1 0.1 0.2 0.3 0.4 0.5 0.6 Ratio of bolt diameter to strip width, d/w Source: DLR Source: Niu



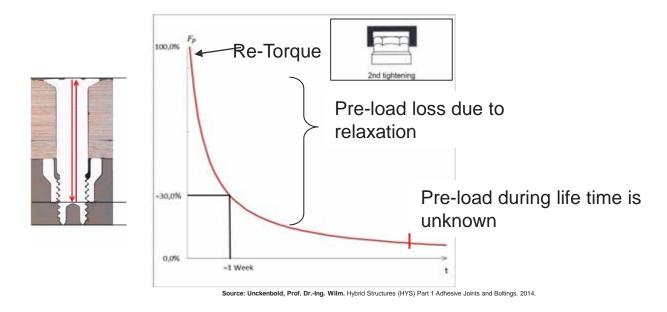


Source: DLR

C. Brauner EPFL Composites Technology 18.10.2022 65







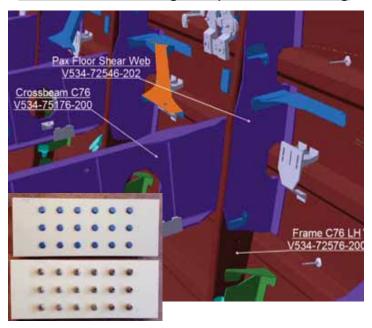
Source: DLR

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A350XWB Querträger/ Spant Verbindung



Materialien

Metall Frame:

Aluminium Legierung 2099/2196 Zustand: T83 and T8511

Composite Frame:

IMA-M21e

Matrix: M21e (Duroplast)
Faser: IMA carbon fiber
Faserflächengewicht: 134g/m²
Faserhalbzeug: UD-Tape (Prepreg)
Harzgehalt (% Gewicht): 34 %

PAX Shear Web

Aluminium Legierung 7010/7050

Zustand: T7451

Bolted Joint:

Niet: EN6115B4E08 Collar: ABS1738K

Ti6Al4V



	1	2
Umgebung	A350XWB Full Scale Fatigue Test – EF3	A350XWB Strukturmontage Hamburg
Darstellung		
Ziel:	Messungen in 0,125 DSG* Schritten → Einfluss der Fatigue Belastung auf die Vorspannkraft	Messungen nach der Installation → erzielte Vorspannkraft (Retorque-Einfluss)

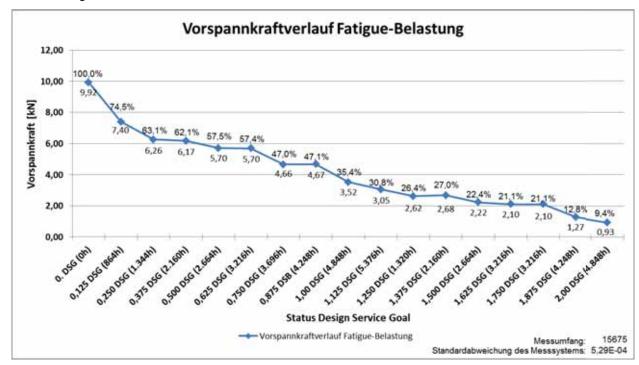
*DSG = Design Service Goal = Flugzeugleben (28800 Flüge)

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69

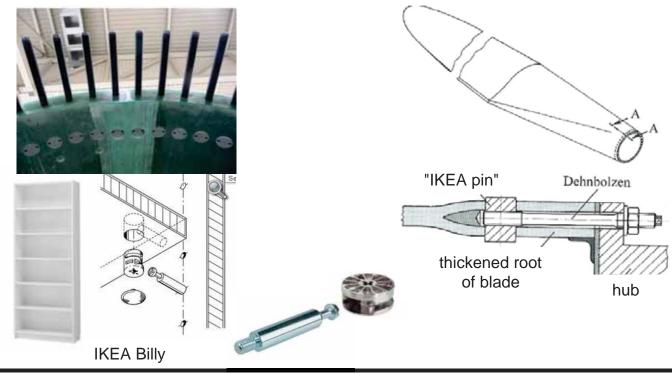
Preload in bolted joints







Bolted joints in highly loaded structures

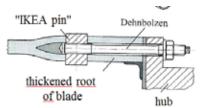


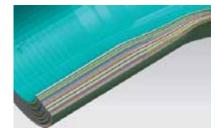


Bolted joints in highly loaded structures



















Questions on bolted joints

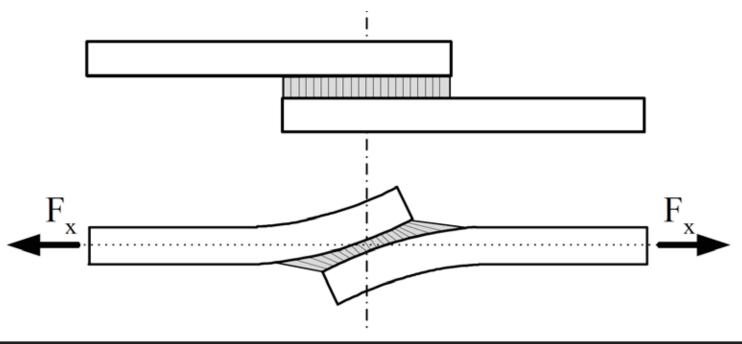
Why is bearing the preferred failure mode?

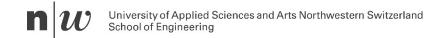
- a. It is the strongest
- b. It is damage tolerant
- c. It is easier to design





Bonded joints







Why bonded joints

• Strap: localised oriented loads.

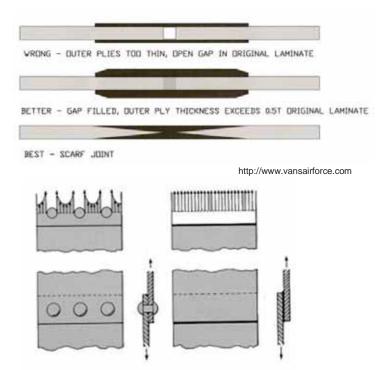
• Bolts: high distributed loads.

• Bonded joints: low distributed loads.



Advantage versus bolted joints

- No reduction of load bearing section
- Adapting to tolerances
- No gap corrosion
- Moderate stresses over large area





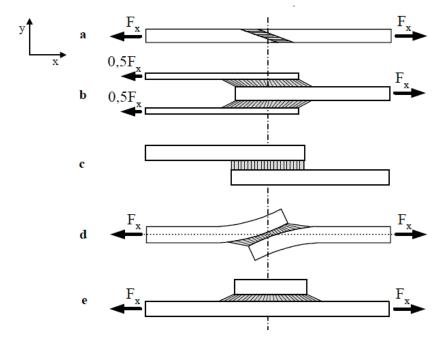
Drawbacks vs bolted joints

- Connection not detachable
- Sensitive to peel stresses
- Stress peaks
- Catastrophic failure
- Sensitive to moisture and humidity
- Preparation of bonding partners, surafce and geometry
- · Chemical reaction: temperature, pressure and time have influence on quality
- Quality control



Bond types

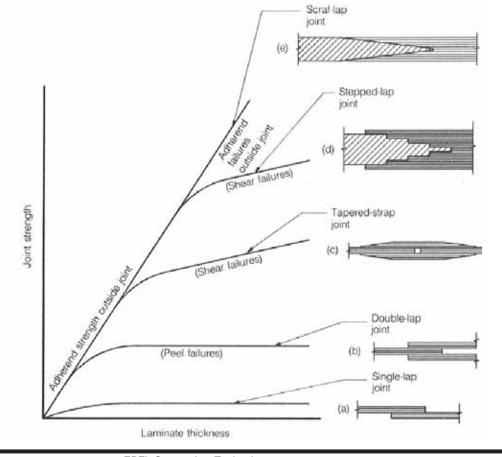
- Scarf joint
- Double lap
- Single lap
- Local patch







Bond types

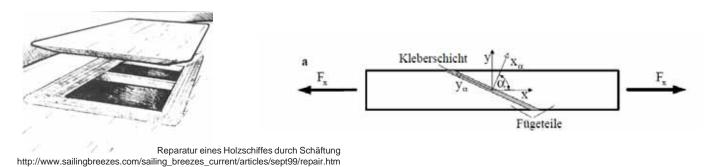


Source: Niu



Scarf joint

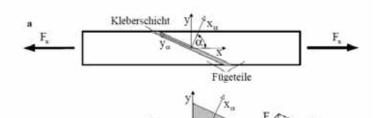
- No stress peak
- No added weight
- May be expensive to realize
- Efficient repair technique





Design of a scarf joint

• Load vector: $F_N = F_x \cdot \cos \alpha$; $F_T = F_x \cdot \sin \alpha$



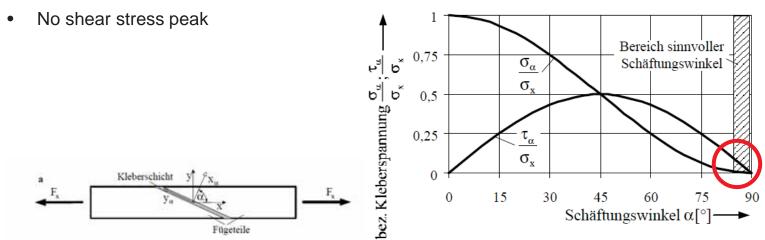
- Bond area: $A_{\alpha} = b \cdot \frac{t}{\cos \alpha} = \frac{A}{\cos \alpha}$
- Normal stress: $\sigma_{\alpha} = \frac{F_{N}}{A_{\alpha}} = \frac{F_{x} \cdot \cos \alpha}{A/\cos \alpha} = \sigma_{x} \cdot \cos^{2} \alpha$
- Shear stress: $\tau_{\alpha} = \frac{F_{T}}{A_{\alpha}} = \frac{F_{x} \cdot \sin \alpha}{A/\cos \alpha} = \sigma_{x} \cdot \sin \alpha \cdot \cos \alpha = \frac{1}{2}\sigma_{x} \cdot \sin 2\alpha$



Scarf joint

Large scarf angle

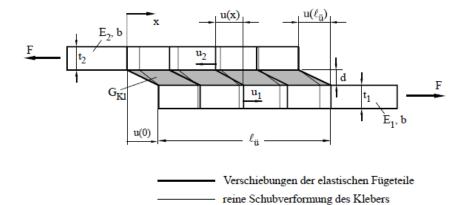
- Larger bond area > reduction in stresses
- Normal stress vanishes
- Pure shear loading





Single lap joint

- High shear stress peaks
- Limited influence of overlap length on shear stress peak
- High stiffness ratio between partners and adhesive reduces shear stress peaks



[Klein]

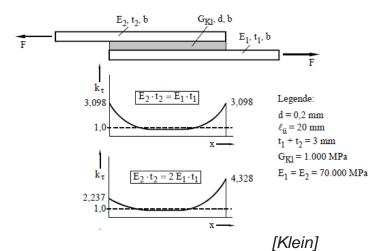
Single lap joint

Analytical approach for shear stress distribution (constant sections, no bending)

$$\tau(x) = \frac{\omega \cdot \tau_{m}}{(\beta + 2) \cdot (\cosh \omega - 1)} \left[\sinh \left(\omega \left(1 - \frac{x}{\ell_{\ddot{u}}} \right) \right) + (\beta + 1) \sinh \left(\omega \frac{x}{\ell_{\ddot{u}}} \right) \right].$$

$$\omega = \lambda \cdot \ell_{\ddot{\mathfrak{u}}} = \sqrt{\frac{G_{K1} \left(\mathbb{E}_{1} \cdot \mathbb{t}_{1} + \mathbb{E}_{2} \cdot \mathbb{t}_{2} \right) \ell_{\ddot{\mathfrak{u}}}^{2}}{\mathbb{E}_{1} \cdot \mathbb{t}_{1} \cdot \mathbb{E}_{2} \cdot \mathbb{t}_{2} \cdot \mathbb{d}}}$$

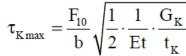
$$\beta = \frac{\left(\mathbf{E}_2 \cdot \mathbf{t}_2 - \mathbf{E}_1 \cdot \mathbf{t}_1 \right) \mathbf{G}_{\mathbf{K}\mathbf{l}} \cdot \boldsymbol{\ell}_{\ddot{\mathfrak{u}}}^2}{\mathbf{E}_1 \cdot \mathbf{t}_1 \left(\mathbf{G}_{\mathbf{K}\mathbf{l}} \cdot \boldsymbol{\ell}_{\ddot{\mathfrak{u}}}^2 + \mathbf{E}_2 \cdot \mathbf{t}_2 \cdot \mathbf{d} \right)} \; .$$





Single lap joint

Aproximation by Volkersen for τ_{max}



 $\tau_{Kmax} = Schubspannungsspitze$

F₁₀ = äussere Kraft an den Fügeteilen

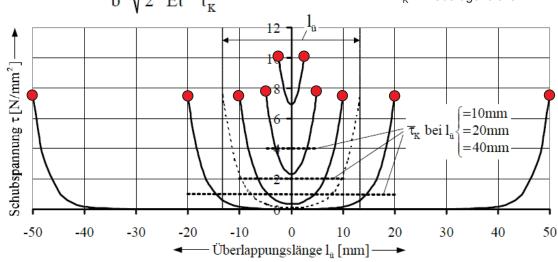
b = Fügeteilbreite

E = E-Modul Fügeteile

t = Fügeteildicke

G_K = Schubmodul des Klebers

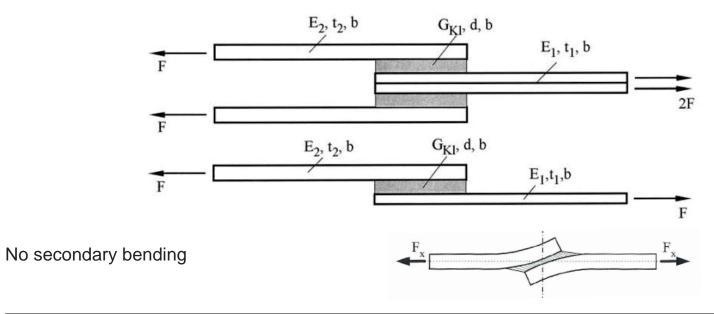
t_K = Klebefugendicke



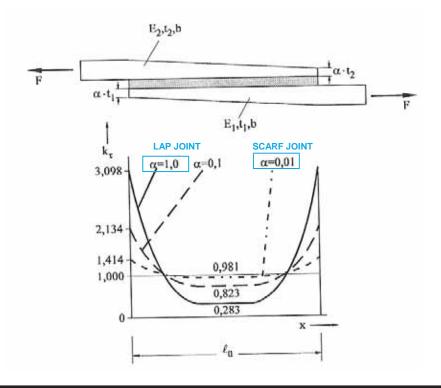


Double lap joint

Symmetry of single lap joint



Lap vs scarf joint

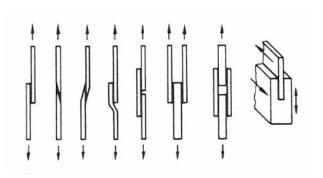


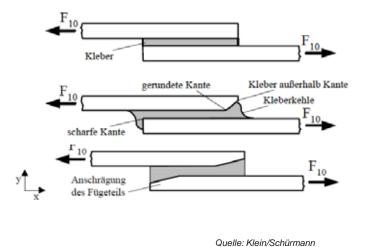
Quelle: Klein



Design recommendations for joints

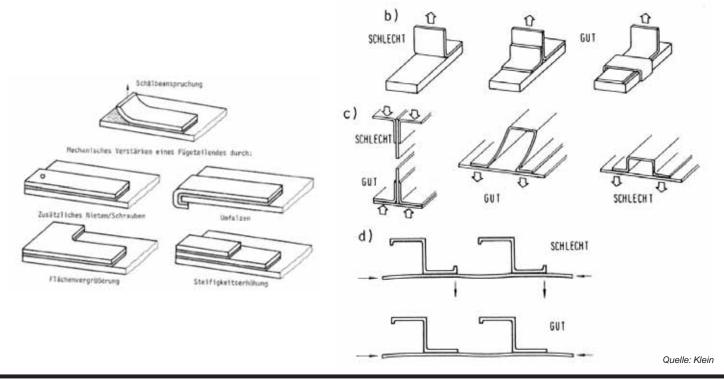
- Optmize for shear loading
- Wedged bond gap
- Fillet joint







Design recommendations for joints – avoiding peel stresses







Surface treatment of adhesives

God wetting = good adhesion

Increase surface

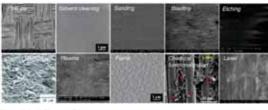
- peel ply (CFK)
- sanding (120er grit)
- sand blasting

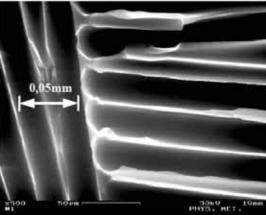
Degrease

- organic solvent
- bases
- acids

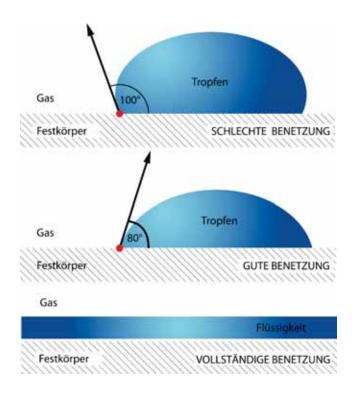
Option

- plasma / flame treatment
- etching
- primers
- laser











How to determine lap shear strength

Preparatation:







Test:

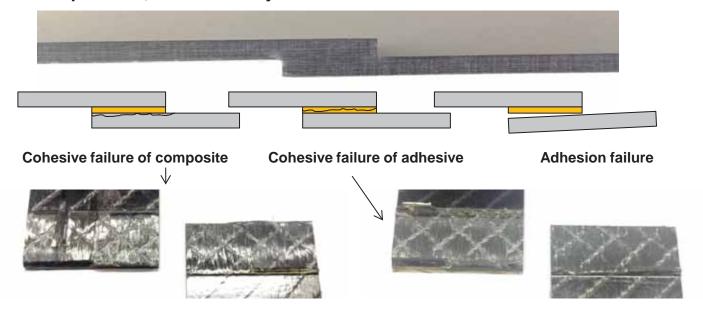






How to determine lap shear strength

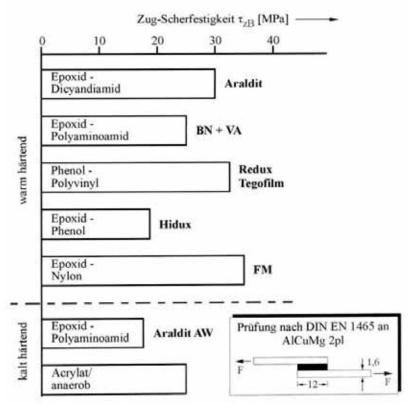
Preparation of specimen, remove fillet joint





Choice of adhesive

- cold / hot curing
- Strength depending on adhesive partners
- Reduced strength
- Wrong curing cycle
- Aging and creep up to 40%



Klebstoffe	v_{Kl}	E _{K1} [MPa]	G _{K1} [MPa]	$\tau_{zB} \; [MPa]$
warm abbindende Klebstoffe	0,38-0,40	3.000-4.200	900-1.520	
kalt abbindende Klebstoffe	0,38-0,44	1.500-2.500	1.500-2.500	

Quelle: Klein



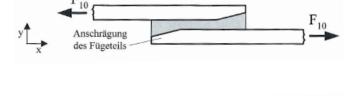
Design aspects of bonded joints

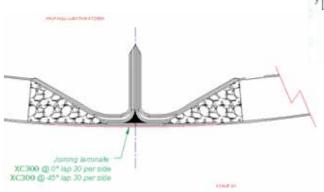
Avoid peel stresses

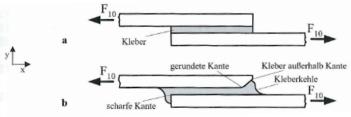
Favor shear stresses

conical bond gap

bond fillets at ends



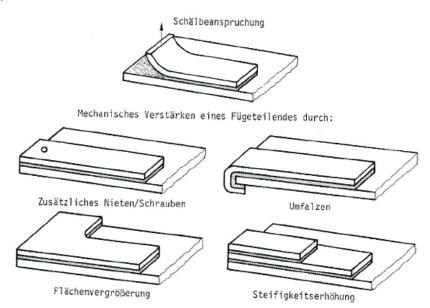






Design aspects of bonded joints

Avoiding peel stresses





Active unit on lap joints:

Please go to

https://www.stevenabbott.co.uk/practical-adhesion/g-rlap.php

Use the sliders to optimise the following lap joint, start with this values:

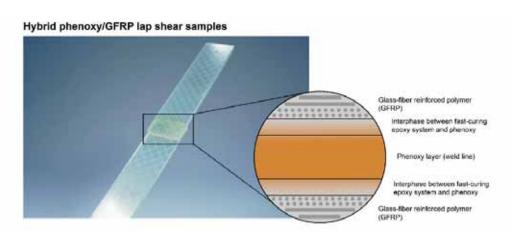


How can the stress reduced, please post your result in the chat as a screen shot





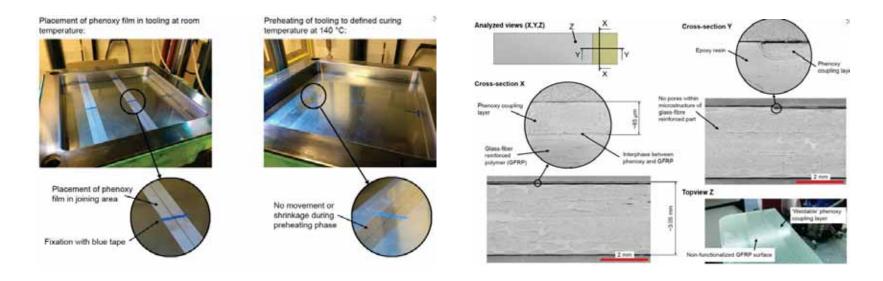
Advanced concepts applying welding to thermosets





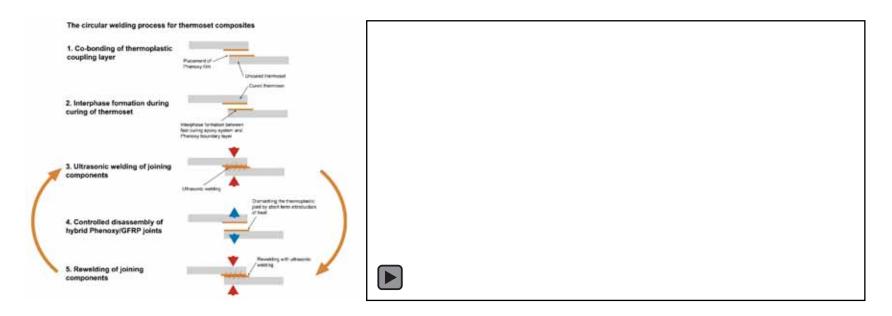


Advanced concepts applying welding to thermosets





Advanced concepts applying welding to thermosets



Zweifel, Lucian & Ritter, Klaus & Brauner, Christian. (2022). The Mechanical Characterization of Welded Hybrid Joints Based on a Fast-Curing Epoxy Composite with an Integrated Phenoxy Coupling Layer. Materials. 15. 1264. 10.3390/ma15031264.





Questions on bonded joints

Which bond type bears more load (with same basic geometry and bond area)?

- a. Single lap stronger than scarf
- b. Scarf stronger than single lap
- c. Same bond area, same strength

In a single lap joint, lower adhesive modulus leads to ...?

- a. Higher peak shear stress
- b. Lower peak shear stress
- c. Higher average shear stress





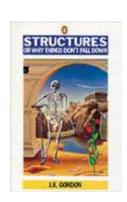
Recommended design related textbooks











Helmut Schürmann: Konstruieren mit Faser-Kunststoff-Verbunden ISBN 978-3-540-72190-1

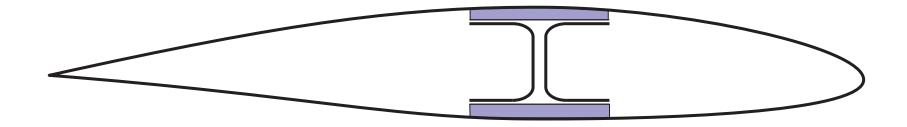
72190-1 All non referenced pictures from here Bernd Klein: Leichtbau-Konstruktion ISBN 978-3-658-02272-3 Dan Zenkert: Handbook of Sandwich Construction Department of Lightweight Structures, Royal Institute of Technology, 1993 Michael Chun-Yu Niu: Composite Airframe Structures ISBN 978-9627128069 J. E. Gordon: Structures or or why things don't fall down, 2003 by Da Capo Press (first published 1978), ISBN 0306812835





Exam Questions

- •How would you use pin loaded straps to attach a composite wing spar to the fuselage of an glider airplane?
- •Illustrate by sketches

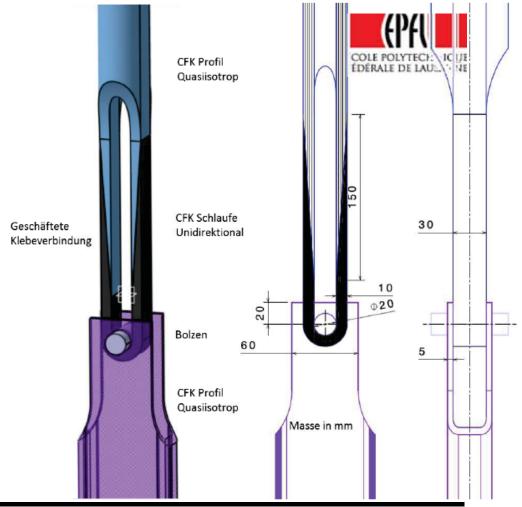




Exam Questions

Preliminary sizing of given design

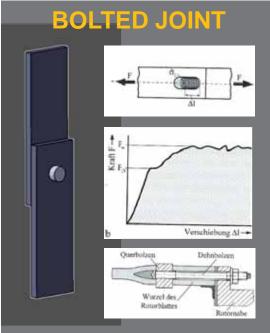
- Which load introductions do we have?
- How to you calculate the failure load?

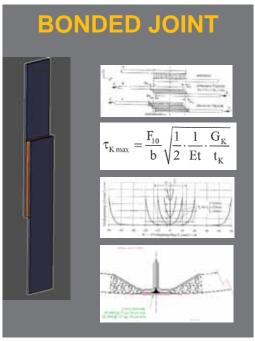




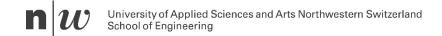








Concept, manufacturing, sizing, design integration





Contact

Institute of Polymer Engineering



Prof. Dr. Christian Brauner Klosterzelgstrasse 2 5210 Windisch T +41 56 202 7475 F +41 56 202 7574 christian.brauner@fhnw.ch www.fhnw.ch/technik/ikt/